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9702/31

October/November 2011

2 hours

Additional Materials: As listed in the Confidential Instructions.

READ THESE INSTRUCTIONS FIRST

DO **NOT** WRITE IN ANY BARCODES.

You may lose marks if you do not show your working or if you do not use appropriate units.

You are reminded of the need for good English and clear presentation in your answers.

The number of marks is given in brackets [] at the end of each question or part question.

For Examiner's Use	
1	
2	
Total	

This document consists of **12** printed pages.

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- 1 In this experiment you will investigate the equilibrium position of a metre rule with a mass attached to one end.

(a) (i) Use a loop of string to balance the metre rule as shown in Fig. 1.1.

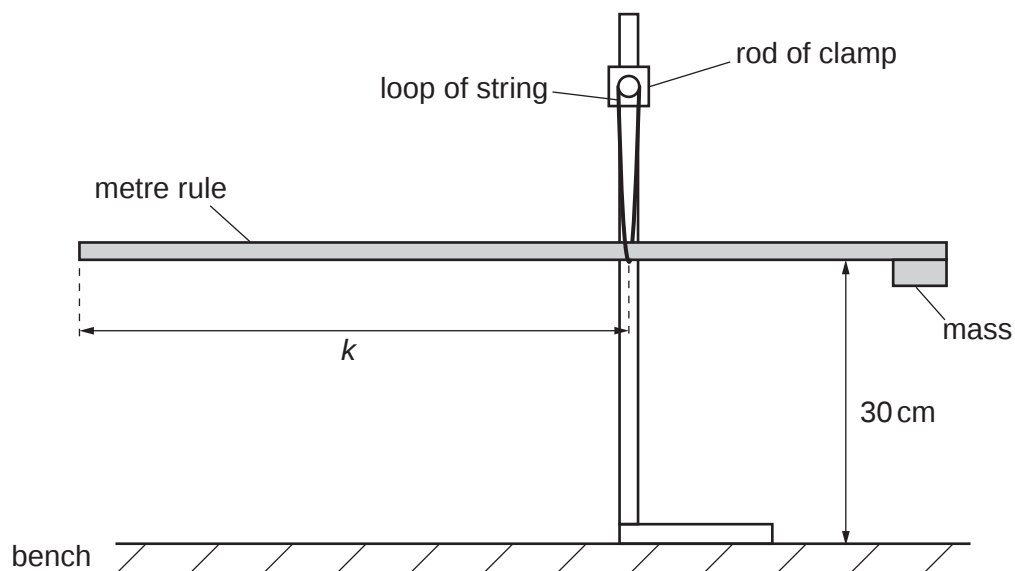


Fig. 1.1

- (ii) Measure and record distance k between the loop and the end of the rule as shown in Fig. 1.1.

$k = \dots\dots\dots$ cm [1]

- (b) (i) Use the other loop of string to attach the mass hanger at a distance d from the end of the rule as shown in Fig. 1.2. The value of d should be approximately 5 cm.
- (ii) For this value of d , adjust the position of the rule so that it balances. The new distance between the first loop and the end of the rule is D , as shown in Fig. 1.2.

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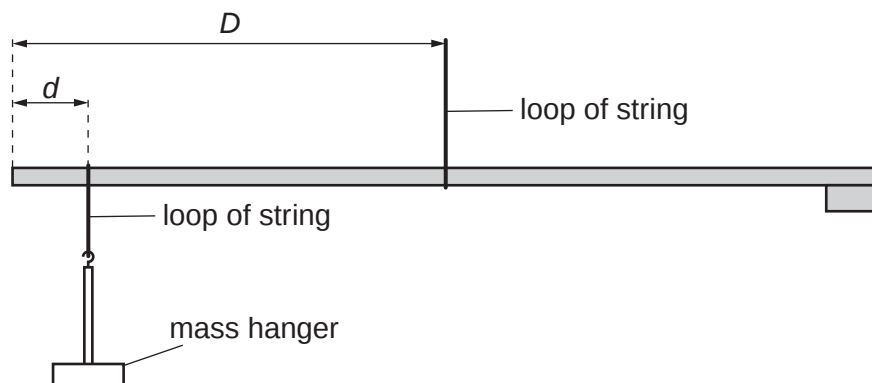


Fig. 1.2

- (iii) Measure and record lengths d and D .

$d =$

$D =$

[1]

- (iv) Calculate the value of $\frac{(D - d)}{D}$.

$\frac{(D - d)}{D} =$

- (c) By moving the mass hanger along the metre rule, repeat (b)(ii), (b)(iii) and (b)(iv) until you have six sets of values of d and D .

Include values of $\frac{1}{D}$ and $\frac{(D-d)}{D}$ in your table.

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[10]

- (d) (i) Plot a graph of $\frac{(D-d)}{D}$ on the y-axis against $\frac{1}{D}$ on the x-axis. [3]

(ii) Draw the straight line of best fit. [1]

(iii) Determine the gradient and y-intercept of this line.

gradient =

y-intercept =

[2]

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- (e) The quantities d and D are related by the equation

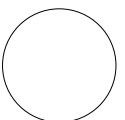
$$\frac{(D - d)}{D} = \frac{A}{D} - B$$

where A and B are constants.

Use your answers in (d)(iii) to determine the value of $\frac{A}{B}$.
Give appropriate units.

$$\frac{A}{B} = \dots\dots\dots [2]$$

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- 2 In this experiment you will investigate how the motion of a thin card shape depends on its size.

You have been provided with two identical strips of card. Spare strips are available if necessary.

- (a) Measure and record the thickness t of one of the strips of card.

$t = \dots\dots\dots$ mm [1]

- (b) (i) Measure and record the length L of the same strip of card as shown in Fig. 2.1.

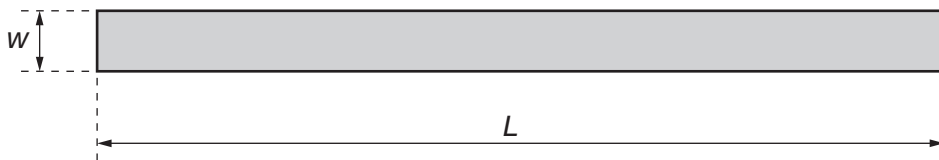


Fig. 2.1

$L = \dots\dots\dots$ [1]

- (ii) Estimate the percentage uncertainty in your value of L .

percentage uncertainty = $\dots\dots\dots$ [1]

- (c) (i) Measure and record the width w of the same strip as shown in Fig. 2.1.

$w = \dots\dots\dots$

- (ii) Determine the volume V of the strip, using the equation

$$V = t L w$$

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$$V = \dots\dots\dots [1]$$

- (d) (i) Use tape to stick the two strips together, so that they do not overlap, to make the shape shown in Fig. 2.2.

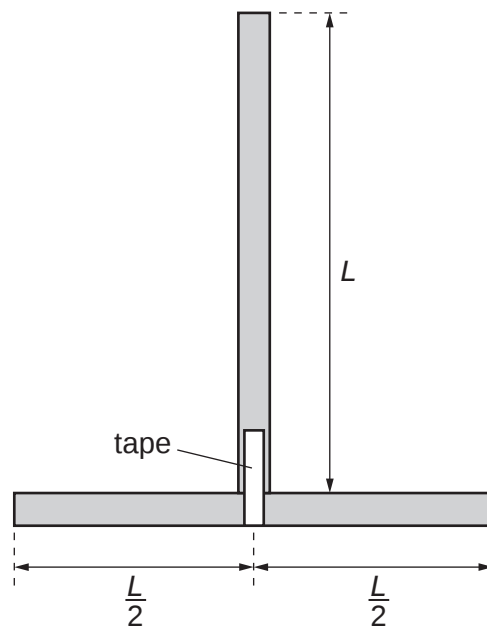


Fig. 2.2

- (ii) Use the pin to make a hole at the top of the vertical strip as shown in Fig. 2.3.

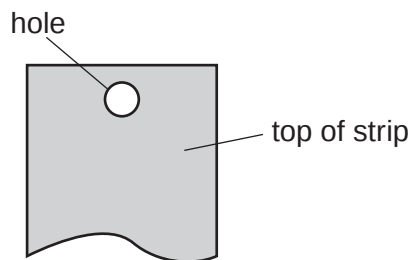


Fig. 2.3

The hole should be central and as near to the top as possible and be large enough for the card to swing freely on the pin.

- (iii) Using the cork and pin, suspend the card shape as shown in Fig. 2.4.

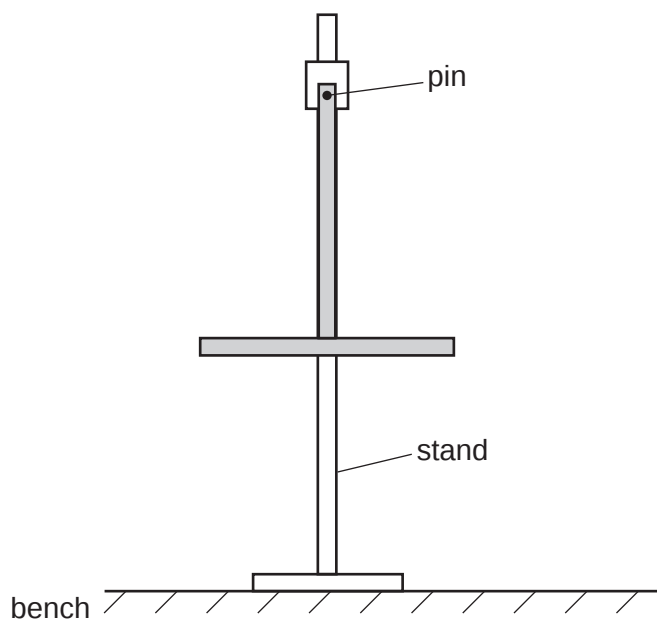


Fig. 2.4

- (e) Move the card shape to the left. Release the shape and watch its movement. The shape will move to the right and then to the left again, completing a swing as shown in Fig. 2.5.

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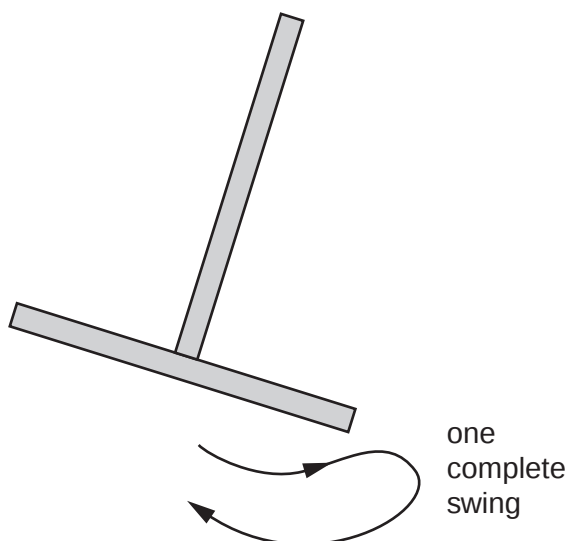


Fig. 2.5

The time taken for one complete swing is T .
By timing several of these complete swings, determine an accurate value for T .

$T = \dots\dots\dots$ [2]

- (f) Cut both strips so that L is approximately 10 cm, as shown in Fig. 2.6.

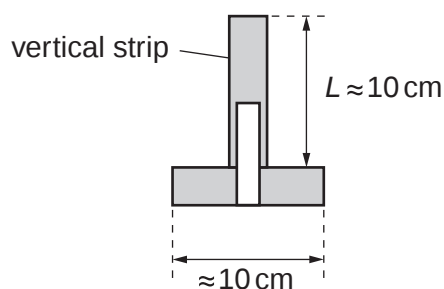


Fig. 2.6

Measure and record the length L of the vertical strip.

$L = \dots\dots\dots$ [1]

(g) Repeat (d)(ii), (d)(iii) and (e) for this new shape.

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$T = \dots\dots\dots$ [2]

(h) It is suggested that the relationship between T and L for this shape is

$$T^2 = k L$$

where k is a constant.

(i) Using your data, calculate two values of k .

first value of $k = \dots\dots\dots$

second value of $k = \dots\dots\dots$ [1]

(ii) Justify the number of significant figures that you have given for your values of k .

.....
.....
..... [1]

(iii) Explain whether your results support the suggested relationship.

.....
.....
.....
..... [1]

- (i) (i) Describe four sources of uncertainty or limitations of the procedure for this experiment.

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1

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2

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3

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4

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[4]



- (ii) (ii) Describe four improvements that could be made to this experiment. You may suggest the use of other apparatus or different procedures.

1

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2

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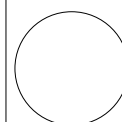
3

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4

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[4]



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