

General Certificate of Education

Statistics 6380

SS02 Statistics Unit 2

Mark Scheme

2007 examination - January series

Mark schemes are prepared by the Principal Examiner and considered, together with the relevant questions, by a panel of subject teachers. This mark scheme includes any amendments made at the standardisation meeting attended by all examiners and is the scheme which was used by them in this examination. The standardisation meeting ensures that the mark scheme covers the candidates' responses to questions and that every examiner understands and applies it in the same correct way. As preparation for the standardisation meeting each examiner analyses a number of candidates' scripts: alternative answers not already covered by the mark scheme are discussed at the meeting and legislated for. If, after this meeting, examiners encounter unusual answers which have not been discussed at the meeting they are required to refer these to the Principal Examiner.

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Key to mark scheme and abbreviations used in marking

M	mark is for method						
m or dM	mark is dependent on one or more M marks and is for method						
A	mark is dependent on M or m marks and	is for accuracy					
В	mark is independent of M or m marks an	d is for method	and accuracy				
E	mark is for explanation						
$\sqrt{\text{or ft or F}}$	follow through from previous						
	incorrect result	MC	mis-copy				
CAO	correct answer only	MR	mis-read				
CSO	correct solution only	RA	required accuracy				
AWFW	anything which falls within	anything which falls within FW further work					
AWRT	anything which rounds to ISW ignore subsequent work						
ACF	any correct form	FIW	from incorrect work				
AG	answer given	BOD	given benefit of doubt				
SC	special case	WR	work replaced by candidate				
OE	or equivalent	FB	formulae book				
A2,1	2 or 1 (or 0) accuracy marks NOS not on scheme						
−x EE	deduct x marks for each error G graph						
NMS	no method shown	c	candidate				
PI	possibly implied	sf	significant figure(s)				
SCA	substantially correct approach	dp	decimal place(s)				

No Method Shown

Where the question specifically requires a particular method to be used, we must usually see evidence of use of this method for any marks to be awarded. However, there are situations in some units where part marks would be appropriate, particularly when similar techniques are involved. Your Principal Examiner will alert you to these and details will be provided on the mark scheme.

Where the answer can be reasonably obtained without showing working and it is very unlikely that the correct answer can be obtained by using an incorrect method, we must award **full marks**. However, the obvious penalty to candidates showing no working is that incorrect answers, however close, earn **no marks**.

Where a question asks the candidate to state or write down a result, no method need be shown for full marks.

Where the permitted calculator has functions which reasonably allow the solution of the question directly, the correct answer without working earns **full marks**, unless it is given to less than the degree of accuracy accepted in the mark scheme, when it gains **no marks**.

Otherwise we require evidence of a correct method for any marks to be awarded.

Jan 07

SS02

Q	Solution	Marks	Total	Comments
1(a)(i)	P(4 or fewer) = 0.4405	B1		0.4405 (0.440 ~ 0.441)
(a)(ii)	$P(4) = P(\le 4) - P(\le 3)$	M1		$P(4) = P(\le 4) - P(\le 3)$
	=0.4405-0.2650			or correct use of formula
	= 0.1755	A1		0.1755 (0.175 ~ 0.176)
(a)(iii)	$P(\geq 4) = 1 - P(\leq 3)$	M1		$P(\geq 4) = 1 - P(\leq 3)$
	=1-0.265			or correct use of formula
	= 0.735	A1	5	0.735 (0.734 ~ 0.736)
(b)	Poisson mean 15	B1		use of Poisson 3×5
	$P(>12) = 1 - P(\le 12)$	M1		$P(>12) = 1 - P(\le 12)$
	= 1 - 0.2676			
	= 0.732	A1	3	0.732 (0.732 ~ 0.733)
	Total		8	

Q	Solution	Marks	Total	Comments
2(a)(i)	T S T S T S T S	B1		attempted use of 2pt m.a.
	378 804 394 809 366 851 422 843	M1		correct method weeks 1-4 - allow any
	591 599 601.5 587.5 608.5 636.5 632.5	A1		m.a.
	391 399 001.3 387.3 008.3 030.3 032.3	Ai		correct ±0.5 - allow one slip
(a)(ii)	on graph below	m1		m.a. plotted in correct position
		A1		correct plot by eye - allow one small slip
(a)(iii)	on graph below	B1	6	trend line
	Market takings, £			
	900			
	300			· *
	,	,	4	1
	800			
	$\Lambda = \Lambda$			
	700	1 1		
				\/ \ <u> </u>
		* *		$-\sqrt{}$
	600			* \
	500-			
				V ¥
		¥	V	X
	400 ¥ V		*	
	* V			
	300-			
	4			
	Of Two Set Two Set Two S	et Tue S	ot Tue S	Sat Tue Sat Tue Sat Day
	1 2 3	4	at Tue S	Sat Tue Sat Tue Sat Tue Sat Day 6 7 8 Week
(b)	Saturday, week 7	B1	I	Sat, week 7
(0)	Takings below trend line - usually above	E1	2	reason
	on Saturday			
	T 1 1 1	D.1		
(c)	Tuesday, week 6 Takings just below trend line - usually	B1 E1	2	Tue, week 6 reason
	well below on Tuesday	EI		ICASOII
	Total	+	10	

Q	Solution	Marks	Total	Comments
3(a)	$E(X) = 225 \times 0.56 + 145 \times 0.32 +$	M1		method
	$249 \times 0.09 + 253 \times 0.03 = 202.4$	A1	2	correct expression - AG
(b)	s.d. = 40.2 $E(X^{2}) = 225^{2} \times 0.56 + 145^{2} \times 0.32 + 249^{2} \times 0.09 + 253^{2} \times 0.03 = 42578.36$	M1		B3 40.2 ($40.1 \sim 40.3$) or method for E(X^2)
	$V(X) = 42578.36 - 202.4^2 = 1612.6$ s.d. = 40.2	m1 A1	3	method for $V(X)$ 40.2 (40.1 ~ 40.3)
(c)	mean 225 s.d. 0	B1 B1	2	225 cao 0 cao
(d)	more choice may attract more customers etc	E1	1	any sensible reason
	Total		8	

SS02 (cont) Q		Solution	Marks	Total	Comments
4(a)	on graph below		M1 B1 A1	3	method for scatter diagram scales and labels accurate plot by eye - allow one small slip.
		75			*
		65-			*/
		60-			y = 33.22 + 3.075 t
	Number of visits $y \times 10^6$	55-			×
		50-		×	
		45 × ×	/ * ,		
		40			
		35 0 1 2 3 4	5 6 Year	5 7	8 9 10 11 12 13 992
(b)	$t = 1 \ y = 36.3$	$t = 11 \ y = 67.0 + line$	M1 A1	2	method accurate line
(c)	33.22 + 3.075×1 70.1 million or 3		M1 A1	2	method - ignore units 70.1 million (70 ~ 70.2)
(d)	70.11 + 5 = 75 75 million or 75	5 000 000	M1 A1		answer to (c) + reasonable residual 75 million (74 ~ 80) - only penalise missing units once
			B1	3	2 or 3 sf (regression on last 6 points gives 77.8)
		Total		10	

Q	Solution	Marks	Total	Comments
5(a)	H_0 : $\mu = 1.50$	B1		one correct hypothesis - generous
	H_1 : μ < 1.50	B1		both correct - ungenerous
	$z = (1.33 - 1.50)/(0.45/\sqrt{60}) = -2.93$	M1		use of $0.45/\sqrt{60}$
		m1		method for z - ignore sign - allow
		A 1		'correction' of s.d
		A1		-2.93 (-2.9 ~ -2.93)
	c.v. – 1.6449	B1		-1.6449 (-1.64 ~ -1.65)-ignore sign
	reject H_0 , significant evidence that mean	A1√		ft correct conclusion - must compare
	value of popcorn and soft drinks			correct tail
	consumed by customers is less than £1.50.	E1√	8	ft correct conclusion in context
(b)	concluding mean value of items	E1		idea of type I error
(6)	consumed is less than £1.50 when in fact	E1	2	in context
	it is equal to £1.50			
		F0.1	2	
(c)	advert may attract people who wish to consume a lot of popcorn and soft drinks -	E2,1	2	both marks for clear explanation
	i.e. population may change.			
	Total		12	

Q (cont)	Solution		Total	Comments
6(a)(i)	200	B1		0.2
		B1	2	200 acf
(a)(ii)	1sf - possible range 150 - 250, not very accurate		2	1sf/ few sf not very accurate
(b)	In 1993 Bosnia-Herzegovnia contributed 20700 out of a total of 54800 immigrants. In 1994 B-H and Former Yugoslavia contributed 41500 out of 74800 immigrants.	E1	2	identification of B-H or former Yugoslavia both + supporting data
(c)(i)	Immigrants from EU shows a fairly steady upward linear trend (apart from dip in 1997).	E1		increase steady/linear/dip in 1997
(c)(ii)	Proportion fairly constant	E1	3	fairly constant/slight increase Any three points
(d)(i)	UK 3700, Iran 3400, US 3200	M1 A1	2	method 3700, 3400, 3200 cao
(d)(ii)	on graph below	B1 M1 A1	3	scales and labels method accurate graph
	3000- Number of immigrants 1999 – 2001 1000- UK	Iran	US	accurate graph
(d)(iii)	Line diagram -easy to see which is largest. Pie chart - easy to see proportions of whole but comparisons not easy. Total	E1	1 15	reason

Q	Solution	Marks	Total	Comments
7(a)	Number drivers 000 to 619	E1		number drivers 000 to 619 or
				mechanics/clerical staff/managers
	Select 3 digit random numbers	E1		select 3 digit random numbers
	Ignore repeats and >619 Continue until 62	E1		ignore repeats
	numbers obtained	E1		ignore >619 (must be consistent with numbering)
	Select corresponding drivers	E1		idea of stratified sample
	Similarly select 12 mechanics,13 clerical	E1	6	12,13,8 or explanation why not
	staff, 80 managers			necessarily so
				allow max 3 for random sample
(b)	Number all employees 000 to 949	E1		number 000 to 949
	Choose a random digit between 0 and 9	E1		choose a random digit between 0 and 9
	Select every 10th employee e.g. if 7 picked select 007,017947	E1	3	select every 10th employee
(c)	No point in stratifying by employment categories if no difference between categories	E1		
	Would be worth stratifying by sex	E1		
	Systematic sample would not ensure a fair	E1	3	a mark for any sensible point - max 3
	representation of sexes (unless men			,
	numbered together and women numbered			
	together)			
	Total	-	12	
	TOTAL		75	