## GCE 2004 November Series



# Mark Scheme

## Mathematics and Statistics B MBD1

Mark schemes are prepared by the Principal Examiner and considered, together with the relevant questions, by a panel of subject teachers. This mark scheme includes any amendments made at the standardisation meeting attended by all examiners and is the scheme which was used by them in this examination. The standardisation meeting ensures that the mark scheme covers the candidates' responses to questions and that every examiner understands and applies it in the same correct way. As preparation for the standardisation meeting each examiner analyses a number of candidates' scripts: alternative answers not already covered by the mark scheme are discussed at the meeting and legislated for. If, after this meeting, examiners encounter unusual answers which have not been discussed at the meeting they are required to refer these to the Principal Examiner.

It must be stressed that a mark scheme is a working document, in many cases further developed and expanded on the basis of candidates' reactions to a particular paper. Assumptions about future mark schemes on the basis of one year's document should be avoided; whilst the guiding principles of assessment remain constant, details will change, depending on the content of a particular examination paper.

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## Key to Mark Scheme

mark is for	method
mark is dependent on one or more M marks and is for	method
mark is dependent on M or m mark and is for	accuracy
mark is independent of M or m marks and is for	method and accuracy
mark is for	explanation
	follow through from previous
	incorrect result
	correct answer only
	correct solution only
	anything which falls within
	anything which rounds to
	any correct form
	answer given
	special case
	or equivalent
	significant figure(s)
	decimal place(s)
	2 or 1 (or 0) accuracy marks
	deduct <i>x</i> marks for each error
	possibly implied
	substantially correct approach
	mark is for mark is dependent on one or more M marks and is for mark is independent of M or m marks and is for mark is for

## **Abbreviations used in Marking**

deducted x marks for mis-copy
deducted x marks for mis-read
ignored subsequent working
gave benefit of doubt
work replaced by candidate
formulae book

## **Application of Mark Scheme**

Correct answer without working	mark as in scheme
Incorrect answer without working	zero marks unless specified otherwise

Award method and accuracy marks as appropriate to an alternative solution using a correct method or partially correct method.

Question	Solution	Marks	Total	Comments
Number				
and Part				
I(a)(1)	A: 0 B: 15, 12	MI		
	B: 15, 12 C: 25, 10			Three final labels
	C. 23, 19			Pomaining finals
	D. 4 E: 7 Shortest			Temperary labels
	E. 7 Shortest F. 8 length = 18	R1	5	For 18
	$C: 22 \ 18$	DI	5	
(ii)	Trace back to $4DBG$	M1 A1	2	
(11)		1411 7 11	2	
(b)	AD DF	M1 A1		
(0)	DE FB	A1		
	BG. BC	A1		
	Total 34 miles	B1	5	
			-	
(c)	B G			
	$\mathbf{A} \qquad \mathbf{A} \qquad \mathbf{C}$			
		B1		(omission of labels tolerated)
	$E \qquad F \qquad G$			
	A  to  G = 4 + 4 + 7 + 6 = 21	B1	2	
(d)(1)	From (a) (or afresh) the only path $A$ to $G$	DI		
	of length less than 20 is ADBG	BI	I	
(ii)	Need PC to reach C in loss than 20	M1		
(11)	Then channest links to E and E are DE			
	and DF		3	
			18	
	1000		10	
2	$\mathbf{n}$ $\mathbf{a}$ $\mathbf{n} \rightarrow \mathbf{a}$ $\mathbf{n} \sim (\mathbf{n} \rightarrow \mathbf{a})$			
	$\begin{bmatrix} \mathbf{p} & \mathbf{q} & \mathbf{p} \rightarrow \mathbf{q} & \mathbf{p} & (\mathbf{p} \rightarrow \mathbf{q}) & \mathbf{n} \\ 0 & 0 & 1 & 1 & 0 & 0 \end{bmatrix}$	M1 A1		For implication
				I IIII
	1 0 0 0 1 0	M1 A1		
	1 1 1 0 0 0			
	contradiction	A1	5	
	Total		5	
3(a)	<u>6</u>	M1		
		A1		6/8/10/12
		A1		6/9/12
	$10 \searrow 9$	A1	4	5
	$\mathbb{V}_{12}$			
	$\left(1, \dots, 2\right)$	N / 1 A 1	2	
(b)	s (aegree 3)	MI AI	2	
	Tatal		6	
	I Otal		U	

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## MBD1 (cont)

Question	Solution	Marks	Total	Comments
Number				
and Part $A(a)$				
-(a)	A, B, D	B1	1	
(b)	45	M1 A1		Forward pass
		M1 A1	4	Backward pass
(c)	Critical path: BFHL Minimum completion: 13 days	B1√ B1√	2	ft sensible answers ft sensible answers
(d)	ADJ			
	B F H L	M1 A1		For dealing with critical activities
	С	M1 A1	4	For the rest
	G K			
(e)(i)	So 9 workers are needed for this schedule.	M1 A1 A1	3	
(ii)	Total days = $97 > 7 \times 13$ , so 7 workers not enough.	M1 A1	2	
(iii)	Delay G by 2 days	B1 B1	2	
	Total		18	

### MBD1 (cont)

Question	Solution	Marks	Total	Comments
Number				
and Part		<b>)</b> (1		
5(a)	0 out of last OR $\Rightarrow$ 0/0 into it, so $\mathbf{c} = 0$ .	MI		
	The second AND gate has a 1 going in	A 1		
	and a 0 out, so the other input is 0.	AI		
	Hence the values giving 0 output of 0.	A 1		
	a b c	111		
		A1		
	0 1 0	Al	5	
	1  0  0			
(b)	To be equivalent to (a) the circuit must	M1		
	give an output of 1 when we have			
	$(\mathbf{a} \wedge \mathbf{b}) \vee \mathbf{c}$ :	A1		
	b	MI		
		A 1	4	
		AI	4	
	Total		9	
6(a)	x Xtravim give 3x mg of vitamin A		-	
	y Yeasty give y mg of vitamin A			
	Therefore we need $3x + y \ge 15$ .	B1		
	Similarly $B \Rightarrow x + 4y \ge 20$ .	B1		
	and $C \Longrightarrow x + y \ge 11$	B1	3	
(b)	15			
		D1 /		
		$\mathbf{B1}$		One per line
		B1√ B1√		(ft)
	region	DIV		
	region	B1	4	Correct region marked
	5 11 20			
(c)(i)	Vertices of feasible region are	M1		
	(0, 15), (2, 9), (8, 3) and $(20, 0)$	A1		(or use a cost line)
	Cost of $2x + 5y$ is minimised at (8, 3) so	A1		
	he should take 8 Xtravim and 3 Yeasty	B1	4	
	each day.			
(ii)	The minimum cost is attained at two	M1		
	vertices, one with <i>y</i> -coordinate 0.	A1		
	So the cost line must be parallel to the line			
	trom $(8, 3)$ to $(20, 0)$ (i.e. $x + 4y$ ).	M1		
	So the Atravim tablets cost one quarter of	A 1	Λ	
	me reasty; i.e. 1.25 p each.	AI	4	
	1 Otal		15	

### MBD1 (cont)

Question	Solution	Marks	Total	Comments
Number and Part				
7(a)	Maximum degree = 5, so $d \le 1$	B1	1	
	Semi-Eulerian for $d = 1$ This gives 2 odd degrees – in other case	B1		
	there are $> 2$ odd vertices.	B1	2	(or $d = 0$ gives an isolated vertex)
	d = 0 gives an isolated vertex, d = 1 gives a 'dead-end'	B1 B1	2	
(b)	Not planar.	M1 A1 B1		
	Contains K5 as a subgraph.	B1	4	
	Total		9	
	TOTAL		80	